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#### Tokyo-Adelaide Joint Workshop on Quarks, Astrophysics and Space Physics

## **Dynamical Parton Energy Loss** in Relativistic Heavy Ion Collisions

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#### **Outline:**

- Jet tomography
  - •Jet quenching
  - •Jet acoplanarity
- •Hydro+jet model
- •Results
  - •Suppression factor
  - •Correlation function
- •Summary

#### **Collaborator:**

Yasushi Nara (Univ. of Arizona)

#### Reference:

T.Hirano and Y.Nara,

Phys. Rev. C 66, 041901(R) (2002).

### Introduction

Recent important hadronic observables in high  $p_{\rm T}$  regions at Relativistic Heavy I on Collider (RHIC)

- 1. Suppression of the yields
- 2. Disappearance of back-to-back correlations



The diagnostic tools for dence matter (Quark Gluon Plasma?)

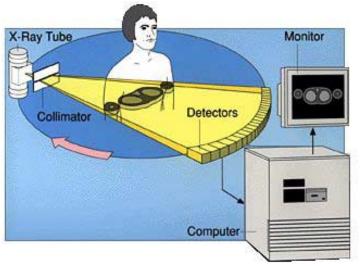
"jet tomography"

## Jet Tomography

Gyulassy, Plummer ('90)

Tool 1. Jet quenching

CT (computed tomography) scan



correlate?

Hot matter produced in a collision

Tool 2. Jet acoplanarity Blaizot (transverse momentum imbalance)

Figures taken from M.Gyulassy's presentation

Bjorken('82)

Appel ('86)

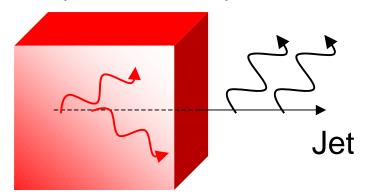
McLerran ('86)

## Tool 1. Jet Quenching

In vacuum



In hot (deconfined) matter



Nucleon-nucleon collisions

Energy loss in vacuum (~fragmentation)  $-dE/dx \approx \kappa \approx 1 \text{GeV/fm}$   $\kappa$ : string tension

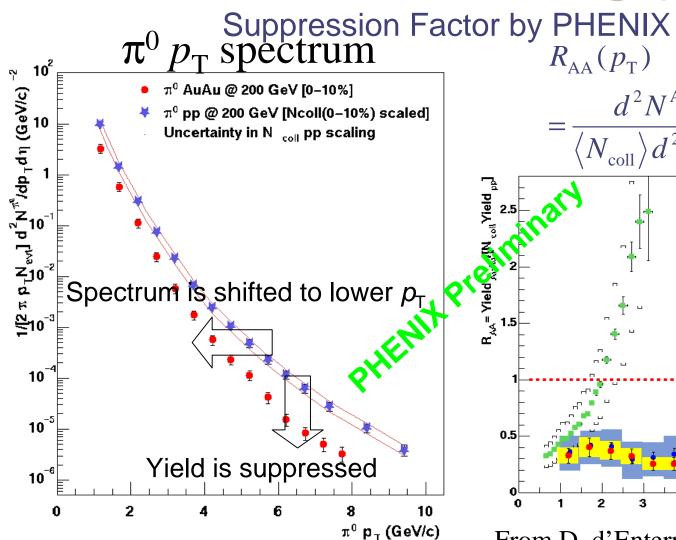
Nucleus-nucleus collisions

Additional energy loss in matter

$$-\Delta E \sim \alpha_{s} \sqrt{E_{cr}E} \quad \text{for } E < E_{cr}$$
$$\sim \alpha_{s} E_{cr} \quad \text{for } E > E_{cr}$$

where 
$$E_{cr} = \mu^2 L^2 / \lambda$$
 Baier *et al.*, (1997)

## Tool 1. Jet Quenching (contd.)



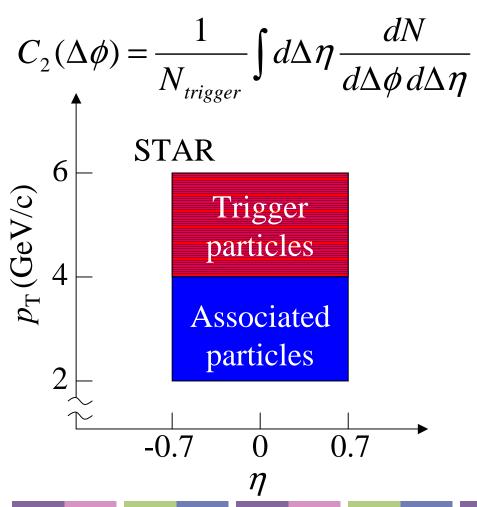
 $=\frac{d^2N^{\text{A+A}}/dp_{\text{T}}d\eta}{\left\langle N_{\text{coll}}\right\rangle d^2N^{\text{N+N}}/dp_{\text{T}}d\eta}$   $=\frac{d^2N^{\text{A+A}}/dp_{\text{T}}d\eta}{\left\langle N_{\text{coll}}\right\rangle d^2N^{\text{N+N}}/dp_{\text{T}}d\eta}$   $=\frac{2.5}{4} \frac{1.5}{4} \frac$ 

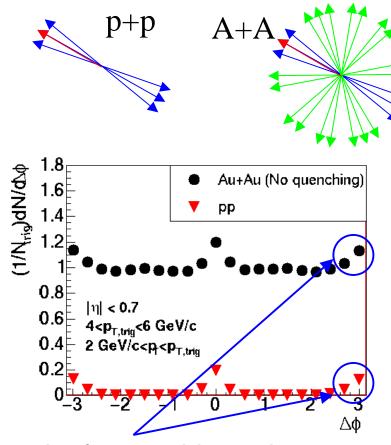
From D. d'Enterria, talk at QM2002.

 $\pi^0 p_{\tau} (GeV/c)$ 

## Tool 2. Jet Acoplanarity

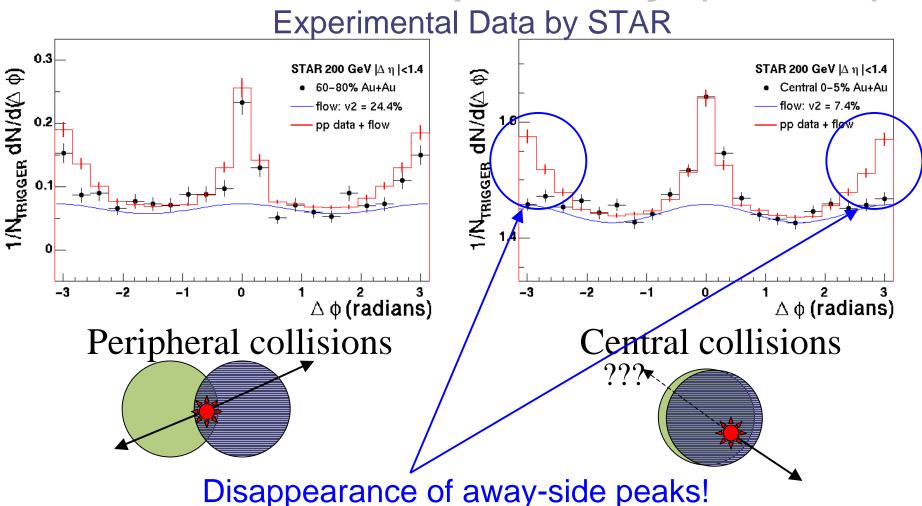
Back-to-back correlations of high p<sub>T</sub> hadrons





Strength of away-side peaks are the same in no jet quenching case

## Tool 2. Jet Acoplanarity (contd.)



From D.Hardtke (STAR), talk at QM2002.

## <u>Model</u>

Jet quenching

Jet acoplanarity

Interplay between soft and hard is *important!* 

## Hydro + Jet model



#### Soft (hydrodynamics)

- Space-time evolution of matter
- Phase transition between QGP and hadrons
- •Particle spectra in low  $p_T$  region

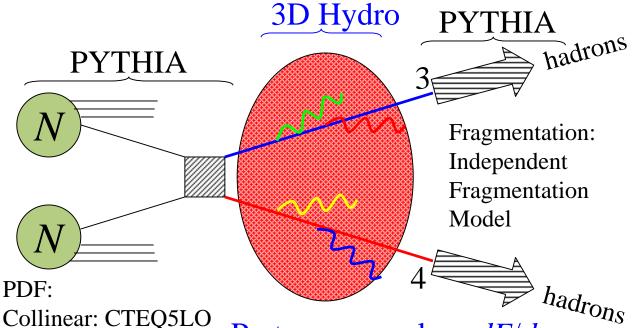
#### Hard (mini-jets)

- Production of (mini-)jets
- Propagation through fluid elements
- Fragmentation into hadrons



Interaction between fluids and mini-jets through parton energy loss

## The Hydro+Jet Model



PYTHIA (K=2)
• PHENIX π0

PHENIX π0

PHENIX π0

10<sup>-4</sup>
• PHENIX
10<sup>-8</sup>
• PHENIX

PYTHIA (K=2)

UA1 charged [Y]<0.25

10 12 14 p<sub>T</sub> (GeV/c)

Parton energy loss:dE/dx (I will discuss later...)

pQCD LO:  

$$q+q' \rightarrow q+q', q+\overline{q} \rightarrow q'+\overline{q}'$$
  
 $q+\overline{q} \rightarrow g+g, q+g \rightarrow q+g$   
 $g+g \rightarrow q+\overline{q}, g+g \rightarrow g+g$ 

k<sub>T</sub>: Gaussian

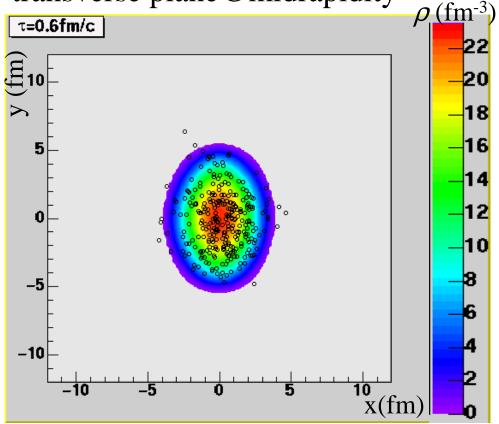
 $< k_T^2 > = 1 \text{GeV}^2/c^2$ 

$$E \frac{d\sigma_{\text{jet}}^{pp}}{d^{3}p} = K \sum_{ab} \int g(k_{T,a}) k_{T,a} dk_{T,a} g(k_{T,b}) k_{T,b} dk_{T,b}$$
$$\times \int f_{a}(x_{1}, Q^{2}) dx_{1} f_{b}(x_{2}, Q^{2}) dx_{2} E \frac{d\sigma^{ab \to cd}}{d^{3}p}$$

<sup>\*</sup>Initial and final state radiation are included.

# Jets and Hydro Evolution in the Transverse Plane

Au+Au 200AGeV, b=8 fm transverse plane@midrapidity



Gradation

- → Themalized parton density Plot (open circles)
- $\rightarrow$  Mini-jets ( $p_T$ >2GeV/c)
- •Initial configuration of mini-jets
- → Prop. to # of binary collisions
- •Assuming jets move along straight paths (eikonal approximation)

## Parton Energy Loss

M.Gyulassy et al. (2000)

of a jet

Coherent model

$$\Delta E = -\underline{C} \int_{\tau_0}^{\infty} (\tau - \tau_0) \underline{\rho(\tau, x(\tau))} \log \left( \frac{2\underline{E}}{\mu^2 L} \right)$$
Adjustable parameter Parton density

Position of a jet Initial enegy

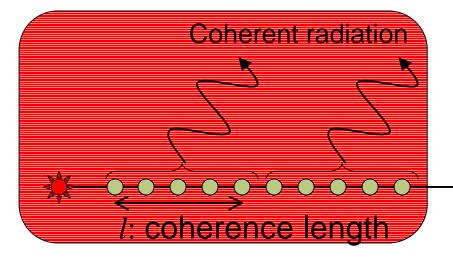
Parton density

from hydrodynamic simulations

Landau-Pomeranchuk

- -Migdal effect
- ~Destructive interference

Jet of radiation

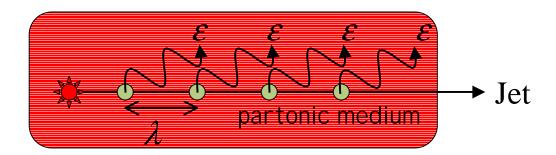


## Parton Energy Loss (contd.)

Incoherent model

$$\frac{dE}{dx} = -\frac{\mathcal{E}}{\lambda} = -\mathcal{E}op(\tau, x(\tau))$$
Mean free path

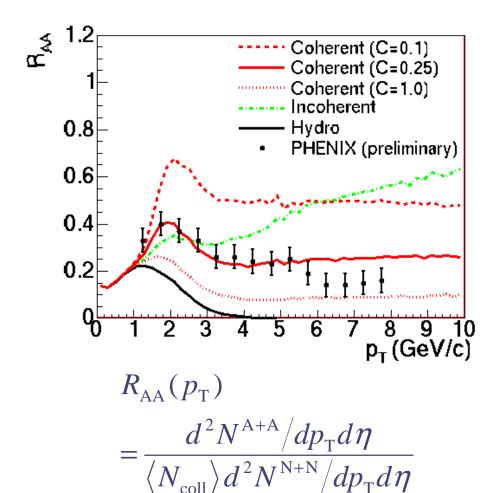
Adjustable parameter



Total incoherent energy loss

→ The sum of single scattering

### Suppression Factor

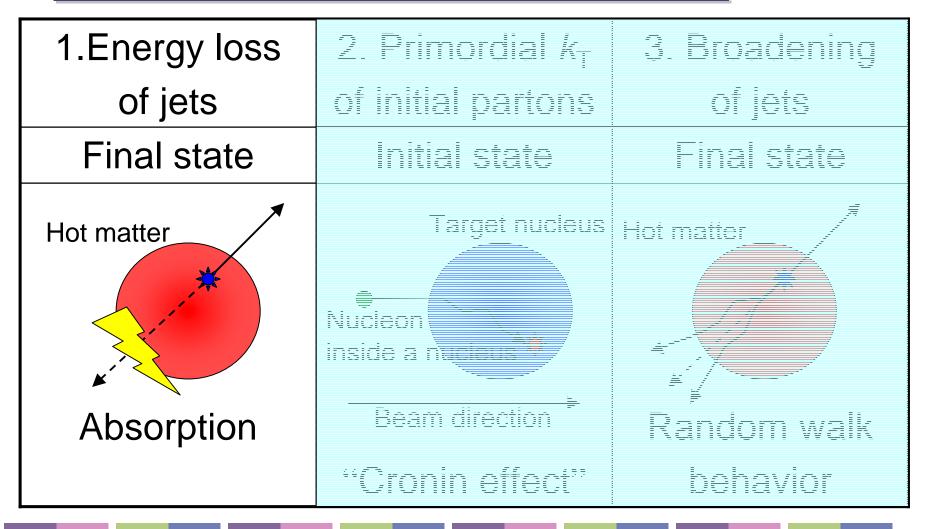


- Coherent model
- → Almost flat
- •Incoherent model( $\varepsilon \sigma$ =0.06)
- $\rightarrow$ Increase with  $p_{T}$
- Experimental data
- → Gradually decrease

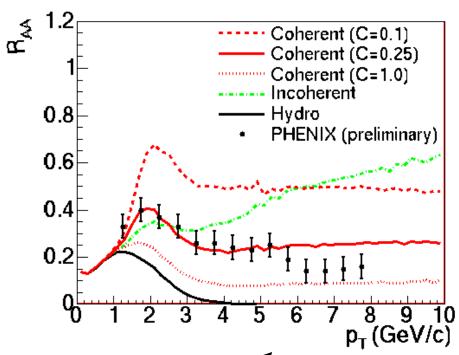
The coherent model with C=0.25 quantitatively reproduces the data below  $p_T\sim6$  GeV/c

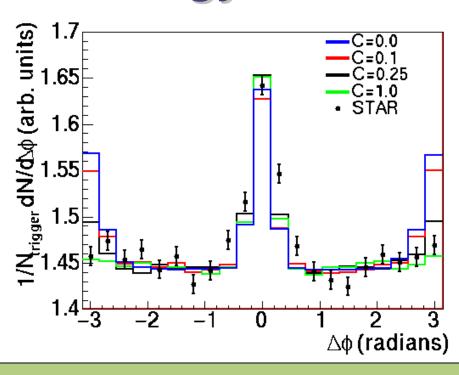
Data from D. d'Enterria, talk at QM2002.

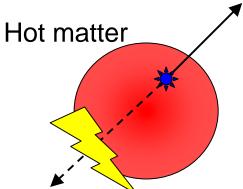
## Three Possible Effects on Back-to-back Correlations



### 1. Effect of Parton Energy Loss



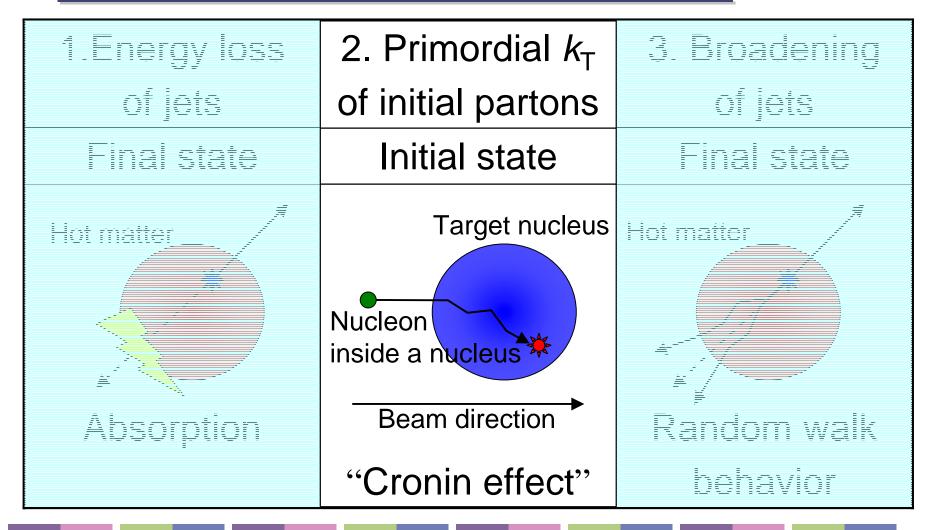




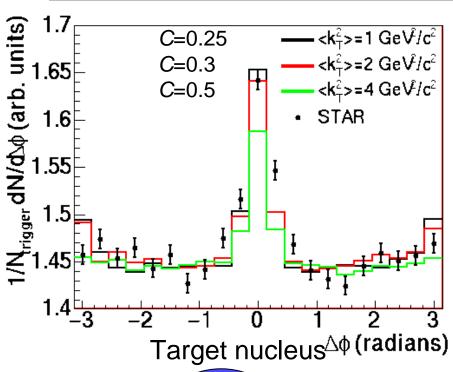
Simultaneous reproduction of  $R_{AA}$  and  $C_2$ ?

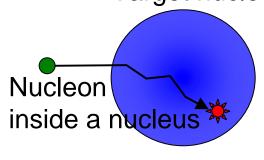
→ Another mechanism is needed!

## Three Possible Effects on Back-to-back Correlations

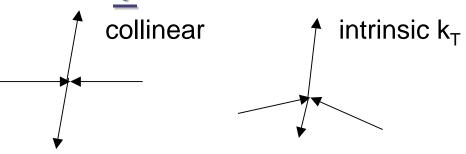


## 2. Effect of Intrinsic k<sub>T</sub>





Beam direction

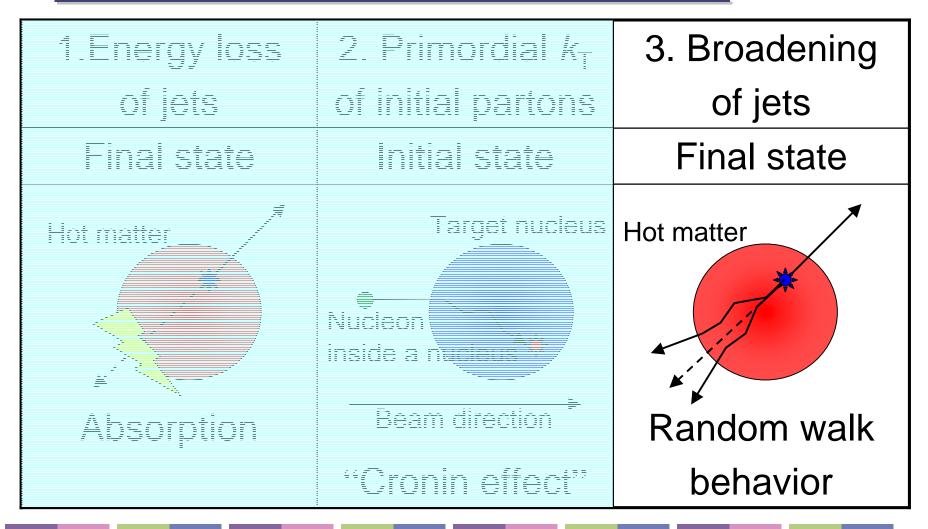


Primordial  $k_T$  distribution

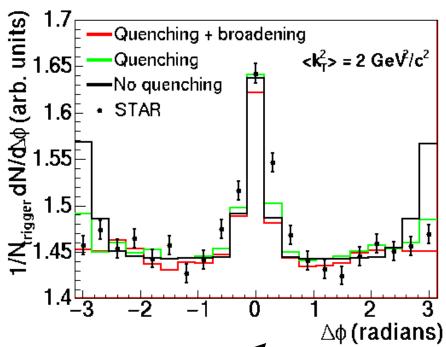
$$g(k_{\rm T}) \propto \exp(-k_{\rm T}^2/\sigma_{\rm T}^2)$$
$$\langle k_{\rm T}^2 \rangle = \sigma_{\rm T}^2 = 1,2 \text{ or } 4 \text{ GeV}^2/c^2$$
$$\langle k_{\rm T}^2 \rangle \sim 2 \text{ GeV}^2/c^2 \text{ @SPS}$$

Intrinsic  $k_T$  is insufficient to the disappearance of back-to-back correlation!

## Three Possible Effects on Back-to-back Correlations



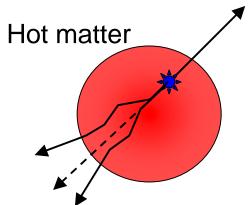
## 3. Effect of Broadening



$$\langle p_{\perp}^2 \rangle = (\alpha_{\rm s} N_{\rm c} / 4)^{-1} |dE/dx|$$

 $p_{\perp}$ : Transverse momentum orthogonal to its direction of motion

R.Baier et al., (1997)



Reduction of the away-side peaks:

~60% from parton energy loss & intrinsic  $k_{T}$ 

~40% from broadening

## <u>Summary</u>

- •The hydro+jet model for analyzing high  $p_T$  regions in relativistic heavy ion collisions
  - Suppression factor
    - •Coherent model with C=0.25 quantitatively reproduces the data below  $p_T$ ~6 GeV/c
    - •How do we obtain the decreasing  $R_{AA}$ ?
  - Back-to-back correlations
    - •All three effects (energy loss, intrinsic  $k_T$ , and broadening) are responsible for disappearance of back-to-back correlations.